



The Representation of Aerosol Indirect Effects in Global Climate Models

Knut von Salzen

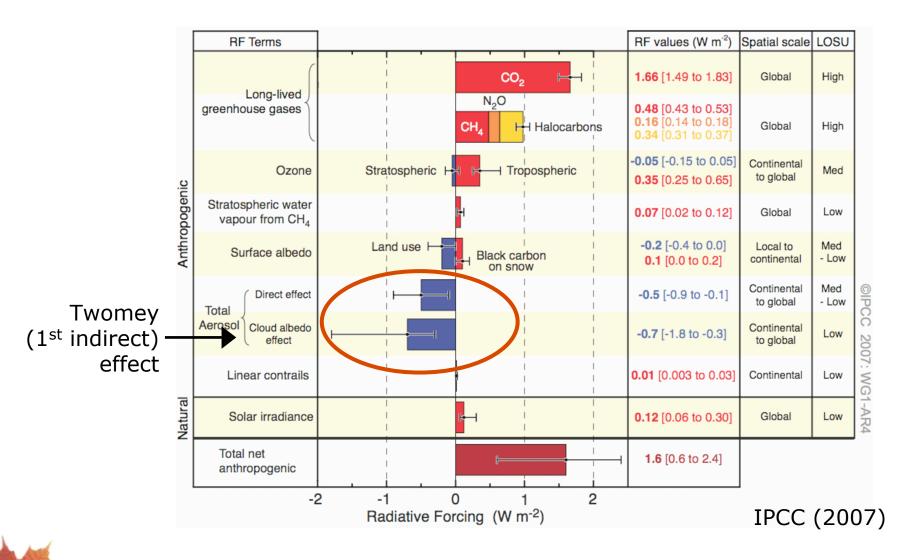
Canadian Centre for Climate Modelling and Analysis (CCCma)
Environment Canada
Victoria, BC, Canada
Knut.vonsalzen@ec.gc.ca

Acknowledgements: Jiangnan Li, Xiaoyan Ma, Yiran Peng, Nicole Shantz and others...

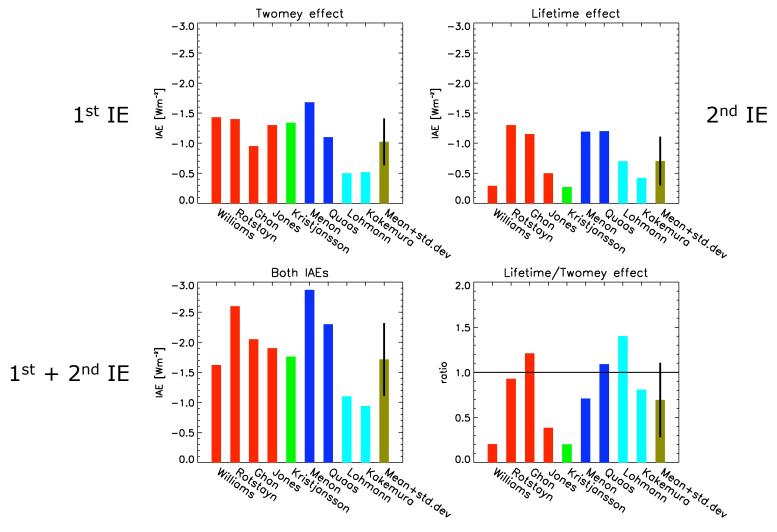




Role of Aerosols for Global Climate



Aerosol Indirect Effects (IE) in GCMs



Lohmann and Feichter, ACP (2005)





Role of Cloud Droplet Number Concentration for Aerosol/Cloud Effects on Radiation

Cloud Droplet Effective Radius

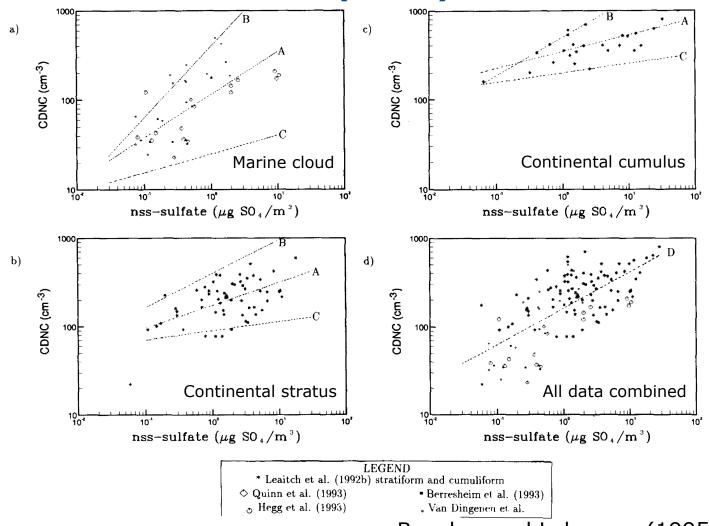
Cloud Liquid Water Content

$$r_{eff} = \frac{\int r^3 n(r) dr}{\int r^2 n(r) dr} = \beta \left(\frac{3 LWC}{4\pi \rho_w N_c} \right)^{1/3}$$

Spectral Shape Factor

Cloud Droplet Number Twomey effect Concentration (CDNC) (1st indirect effect, cloud albedo effect): Aerosol

An Empirical Parameterization for Cloud Droplet Number Concentration (CDNC)

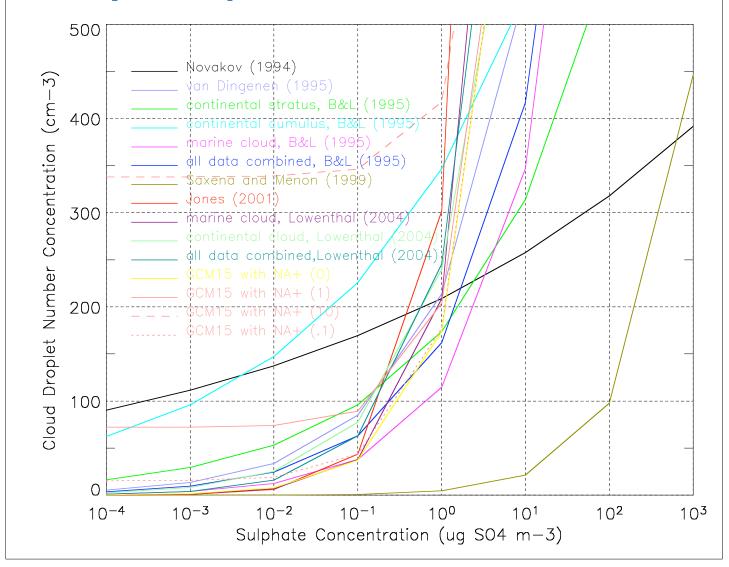


Boucher and Lohmann (1995)



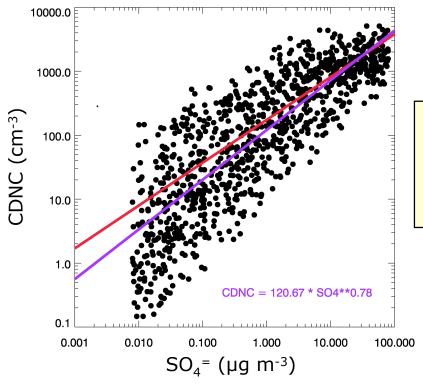


Summary of Empirical Parameterizations for CDNC





Adiabatic Parcel Model Simulations



Large scatter in CDNC caused by differences in size distributions for given SO₄= concentration

Red line: GCM4 parameterization (Ma and von Salzen, submitted to ACP) Dry aerosol mass: $0.01 - 100 \mu g m^{-3}$

Mode radius: $0.01 - 0.1 \mu m$

Variance: 1.2 - 2.2

Updraft velocity: 1 m s⁻¹ Cloud depth: 1000 m



CCN Observations for Water Soluble Organic Carbon Aerosol

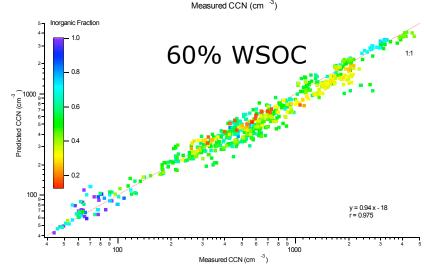
Predicted vs. measured CCN for different assumptions about water-solubility of organic carbon

1:1

| November | Production |

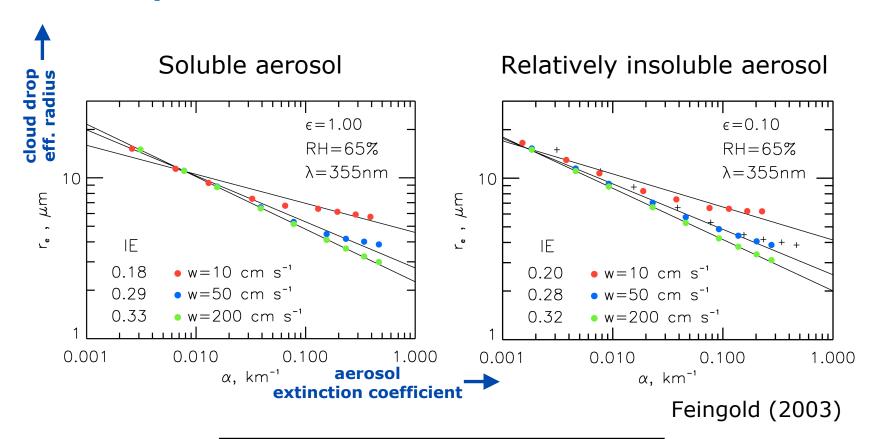
Courtesy: Abbatt and Leaitch

Systematic effects of organic material on CCN concentrations





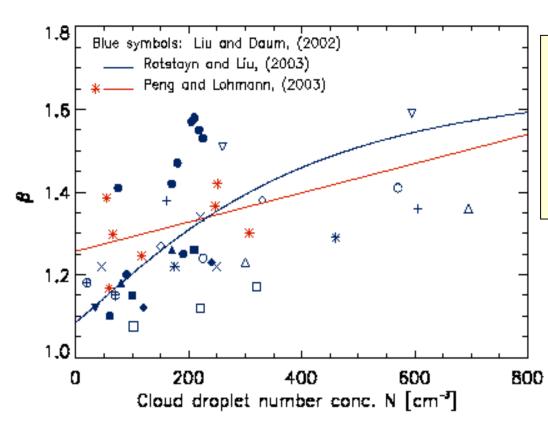
Cloud Updraft Velocities



Aerosol indirect effects are linked to cloud dynamical processes and therefore depend on cloud type



Yet Another Cause of Uncertainty: Dispersion Effect



 $r_{eff} = \beta (LWC/CDNC)^{1/3}$ is used in GCMs to account for the aerosol dispersion effect.

(Rotstayn and Liu, 2003 Peng and Lohmann, 2003)

 $\beta = f(CDNC)$ is derived based on field studies (Liu and Daum, 2000)

Peng and Lohmann (2003): Including the dispersion effect reduces the simulated indirect aerosol effect from $-1.4~W~m^{-2}$ (const. β) to $-1.2~W~m^{-2}$ ($\beta(N_l)$)



Looking Ahead to the Future: First Principles Based Parameterizations in GCMs



First Principles Based Parameterizations of CDNC

- Abdul-Razzak and Ghan (2000), Nenes and Seinfeld (2003).
- Realistic dependencies of CDNC on aerosol size and chemical composition.
- Assumption: Adiabatically ascending parcels of air.
- Key parameters: Dry aerosol size distribution and cloud updraft velocity.
- **Approach:** Provide approximate solution of droplet growth equation for condensation under equilibrium conditions for water vapour, based on Köhler theory.
- Diagnosis of CDNC as fraction of activated aerosol at maximum supersaturation. No direct information available on dispersion effect and cloud droplet size.

What About Real Clouds?

Shallow Cumulus

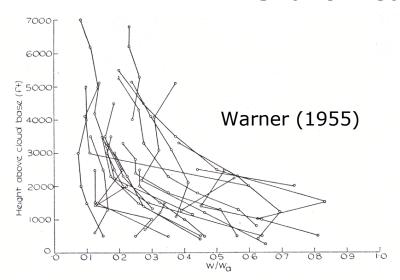
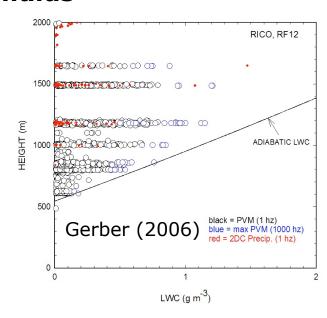


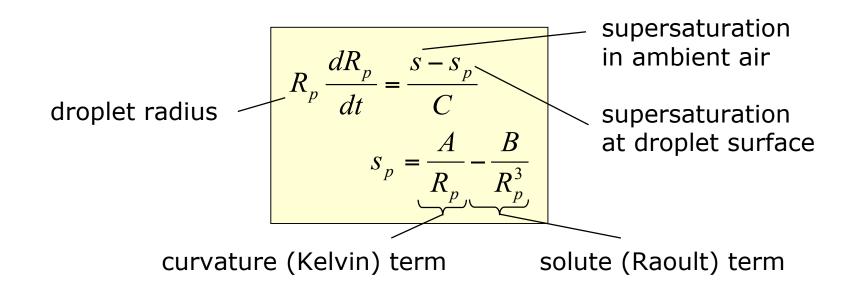
Fig. 7. Ratio of observed liquid water content to adiabatic value versus height above base.





Overwhelming evidence for non-adiabatic conditions in clouds from observations: Implications for cloud droplets?

A Prognostic Approach for Cloud Droplet Nucleation: Droplet Growth Equation and Köhler Theory



$$A = \frac{2M_{w}\sigma_{w}}{RT\rho_{w}}, B = \frac{3M_{w}vm_{s}}{4\pi\rho_{w}M_{s}\left[1 + \left(\frac{1-\varepsilon}{\varepsilon}\right)\left(\frac{\rho_{s}}{\rho_{u}}\right)\right]}, C = \frac{\rho_{w}RT}{e_{*}D_{v}^{'}M_{w}} + \frac{L_{v}\rho_{w}}{k_{a}^{'}T}\left(\frac{L_{v}M_{w}}{RT} - 1\right)$$



A Prognostic Approach for Cloud Droplet Nucleation: Generalized Droplet Growth Equation (GDGE)

For quasi-steady supersaturation:

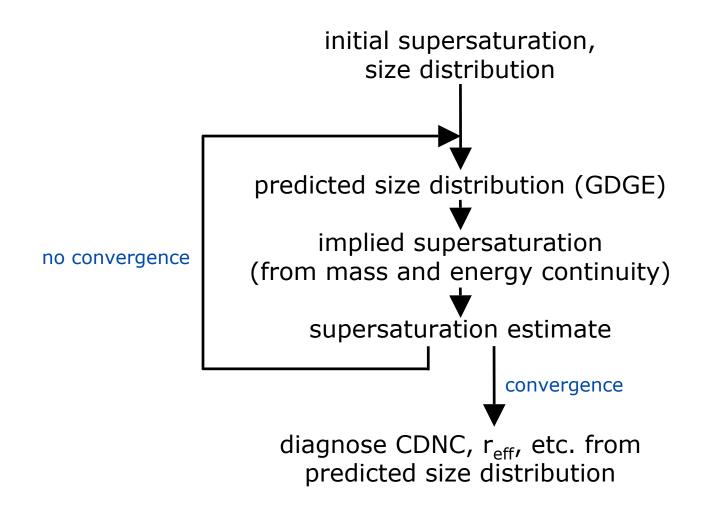
$$\frac{dR_p}{dt} \to \frac{dx}{du} = \delta - \hat{B} \left(\frac{F}{\sqrt{x}} - \frac{1}{x^{3/2}} \right)$$

$$x = \frac{R_p^2}{2}$$
 =generalized droplet size, $u = \frac{|s|t}{C}$ =generalized time

$$\hat{B} = \frac{B}{2^{3/2}|s|}$$
 , $F = \frac{2A}{B}$, $\delta = \frac{s}{|s|}$

Look-up tables for solutions of the GDGE are available for applications in GCMs

A Prognostic Approach for Cloud Droplet Nucleation: Basic Algorithm





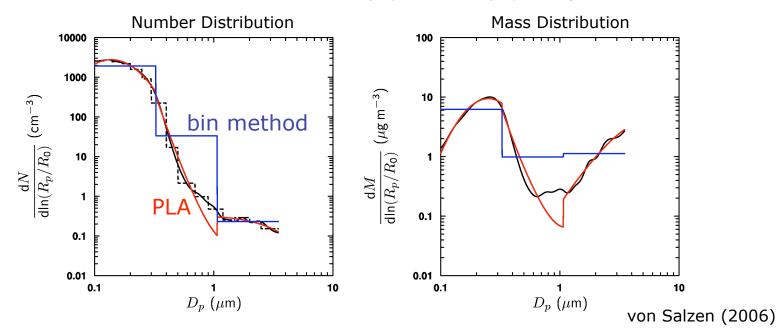


Piecewise Log-normal Approximation (PLA)

Representation of aerosol number distribution:



for section boundaries at $\varphi_{i\pm 1/2} = \ln(R_{i\pm 1/2}/R_0)$.



Canadian Centre for Climate Modelling and Analysis Centre canadien de la modélisation et de l'analyse climatique

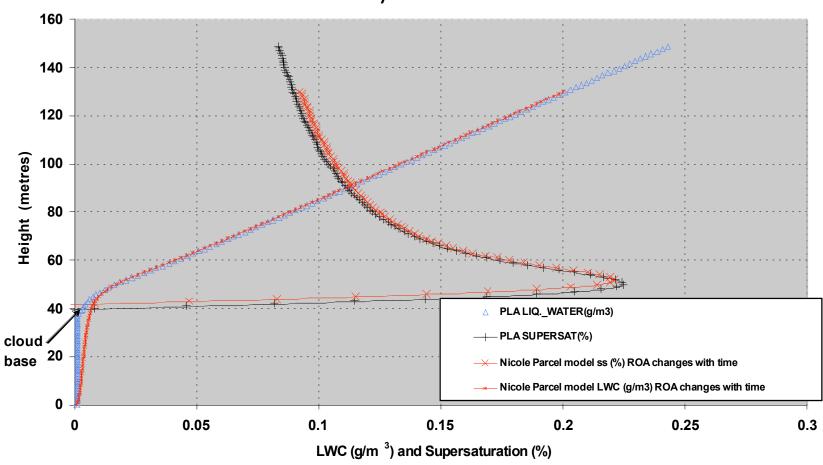


Environment Canada

Environnement Canada

Comparisons with Detailed Parcel Model ...in Progress

Courtesy: Nicole Shantz





GCM Simulation of Cloud Droplet Nucleation in Shallow Cumulus Clouds



Mixing in Shallow Cumulus: The Mixing Line

Linear mixing for cloud properties (e.g. total water, liquid water static energy)

$$\chi = f \chi_e + (1 - f) \chi_c \qquad f = 0...1$$
Cloud Environment Cloud core

Mixing fraction probability distribution p(f)

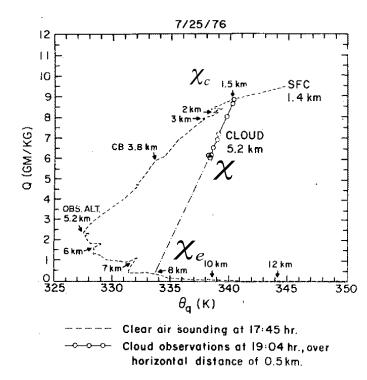


Fig. 4. Comparisons of the total mixing ratio Q and the wet equivalent potential temperature θ_q computed from data collected inside a growing cumulus cloud with Q and θ_q values of a representative sounding. The dashed line refers to the sounding; the points connected by lines represent the in-cloud observations. The data correspond to the first half-kilometer shown in Fig. 3. Air with the observed properties could have been formed by mixing air from the surface levels with air from \sim 8 km as indicated by the dot-dashed line. The observation level was 5.2 km (-2°C). Cloud base (CB) was at 3.8 km.

Paluch (1979)

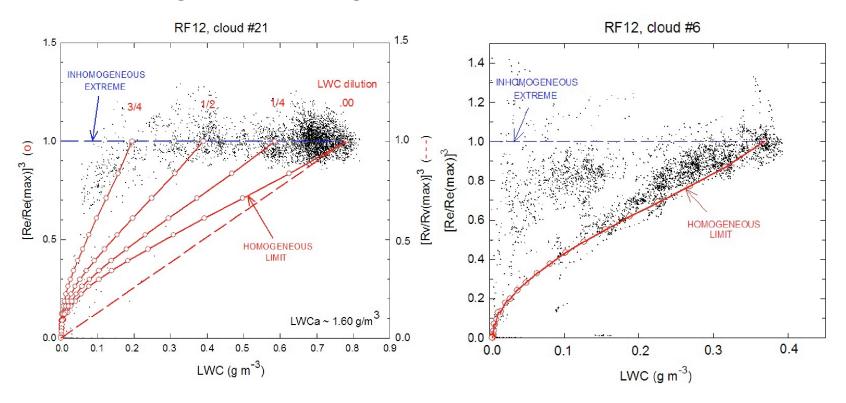
Mixing in Shallow Cumulus: Implications for Cloud Droplets

- Relevant time scales:
 - $\tau_{e} = (1/R)(d R/d t)$ Droplet evaporation time scale
 - $\tau_t = (L^2/\epsilon)^{1/3}$ Turbulent mixing time scale
- Homogeneous mixing: $\tau_e >> \tau_t$, Efficient turbulent mixing means that droplets are exposed to the same humidity and temperature. Sizes of individual droplets are reduced by evaporation. Spectral broadening from mixing line.
- Extremely inhomogeneous mixing: $\tau_{t} >> \tau_{e}$, Filaments of cloudy and non-cloudy air. Droplets inside and outside filaments experience different environmental conditions and may either have nearly adiabatic sizes or evaporate completely. Little spectral broadening, relatively large cloud droplets.

Cloud Droplet Sizes in RICO Shallow Cumulus

Inhomogeneous mixing

Homogeneous mixing



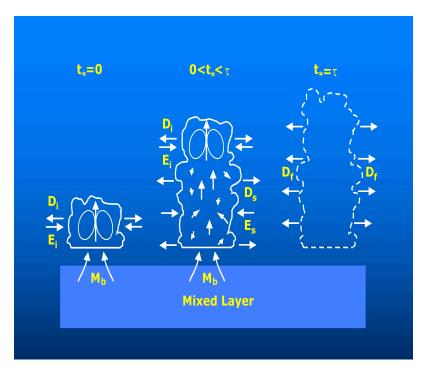
Gerber, 12th AMS Conference on Cloud Physics, Madison, 2006





Parameterization of Shallow Convection in CCCma AGCM4

- Based on continuity equations for mass, energy, and vertical momentum
- Idealized cumulus lifecycle with variable cloud top heights
- Lateral and cloud-top mixing processes
- Non-homogenous clouds: Probability distributions of cloud properties
- Simple warm microphysics (no precipitation processes)
- Suitable for cloud droplet nucleation parameterizations



von Salzen and McFarlane (2002) von Salzen et al. (2005)



GCM Sensitivity Experiments for Shallow Convection

- Combination of new approach for cloud droplet nucleation with shallow cumulus parameterization to test effects of different assumptions about mixing between cloud core and environment on cloud droplets.
- Prognostic calculation of vertical profiles of cloud droplet size distributions for cloud core conditions. Parameterization of droplet size for mixed cloudy air.
- Prognostic sulphate and sea salt aerosol size distributions based on PLA approach (simplified):

SO₄=: Binary homogeneous nucleation H₂SO₄/H₂O; Condensation of H₂SO₄, NH₃, H₂O; gravitational settling; cloud removal; in-cloud production (bulk); transport

Sea salt: Ocean production (Lewis and Schwartz, 2004); gravitational settling; cloud removal; transport

No feedbacks of simulated cloud droplets on climate yet.

GCM Sensitivity Experiments for Shallow Convection

 HOM: Homogeneous mixing: Variable cloud liquid water content and droplet concentration (mixing line)

$$LWC = LWC_c + \frac{d LWC}{df} f$$

$$CDNC = CDNC_c + \frac{d CDNC}{df} f$$

$$\langle CDNC \rangle = \int_{f=0}^{1} CDNC p(f) df$$

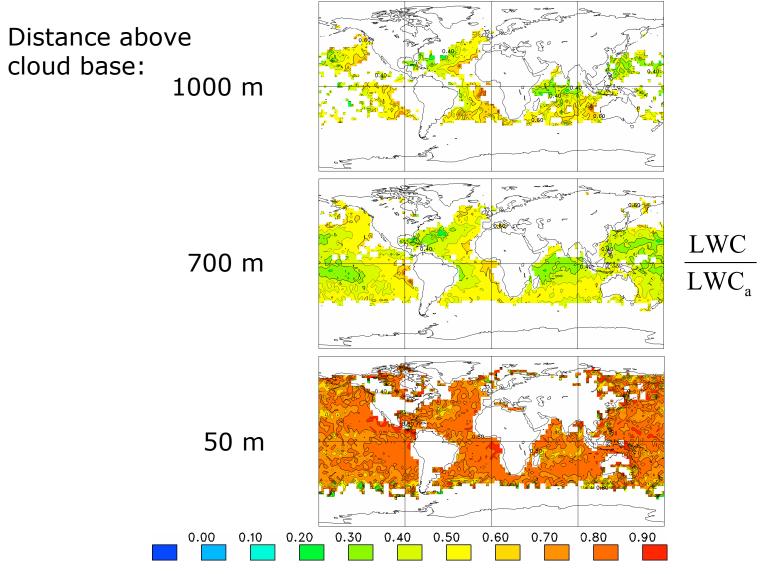
$$\langle r_{eff} \rangle = \beta \int_{f=0}^{1} (LWC/CDNC)^{1/3} p(f) df$$

• INHOM: Extremely inhomogeneous mixing: Adiabatic, cloud-core conditions for cloud droplet size

$$\langle \text{CDNC} \rangle = \int_{f=0}^{1} \text{CDNC } p(f) df$$

 $\langle r_{eff} \rangle = \beta \left(\text{LWC}_{c} / \text{CDNC}_{c} \right)^{1/3}$

Adiabatic Fraction in Simulated Shallow Cumulus (JJA)

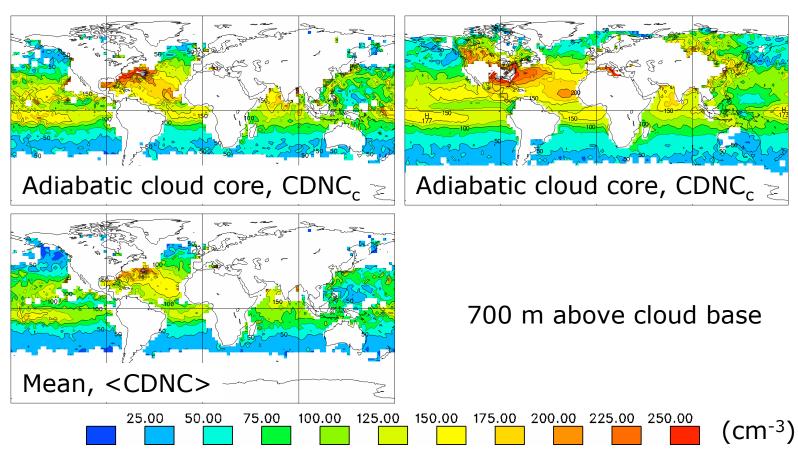




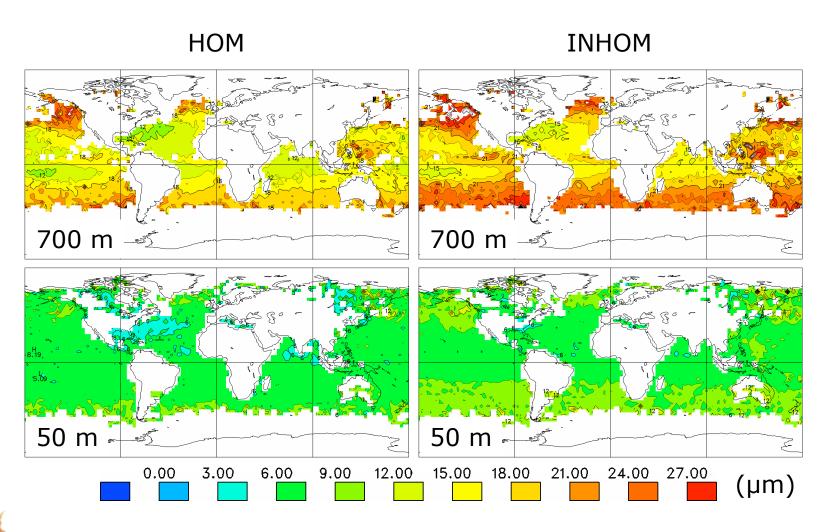
Cloud Droplet Number Concentration (JJA)



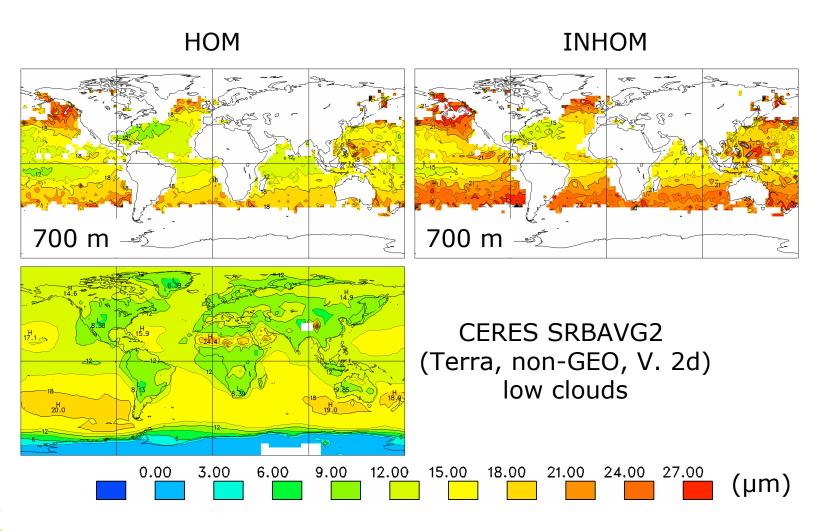
Nenes and Seinfeld (2003) (modified for PLA method)



Mean Cloud Droplet Effective Radius (JJA)



Mean Cloud Droplet Effective Radius (JJA)

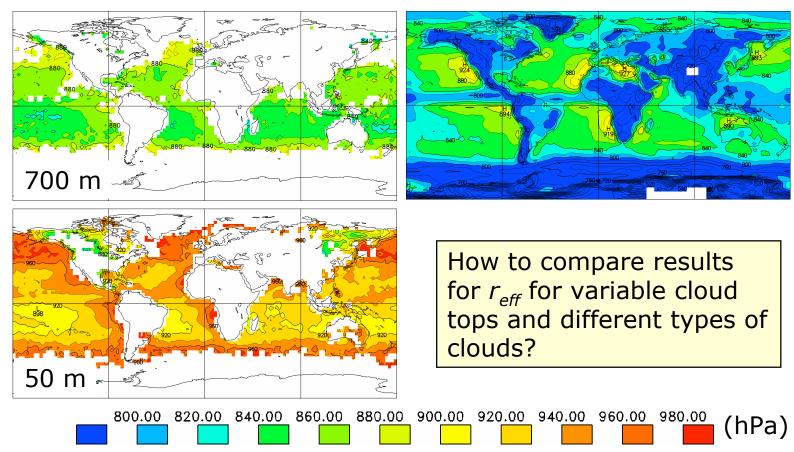




Cloud Top Pressure (JJA)



CERES SRBAVG2 (Terra, non-GEO, V. 2d) low clouds



Conclusions

- Empirically based parameterizations of CDNC and aerosol indirect effects are inherently uncertain in GCMs.
- Currently available first principles based parameterizations of CDNC are considerably more realistic but assumptions of adiabatic conditions and steady updrafts are not yet fully evaluated.
- GCM simulations for simplified aerosol cycles give evidence for sensitivity of shallow cumulus cloud droplet sizes to entrainment mixing assumptions.
- Role of shallow cumulus cloud droplet sizes for radiation and climate still needs to be addressed in GCM.
- Future GCM studies for stratiform clouds, including fog.
- Ideally, studies of cloud droplet size should distinguish between different types of clouds and cloud vertical extend (e.g. cloud-type specific diagnostics from CERES for model validation? Field experiment comparisons?).

The End

